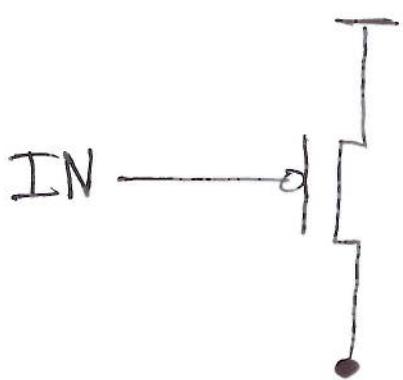
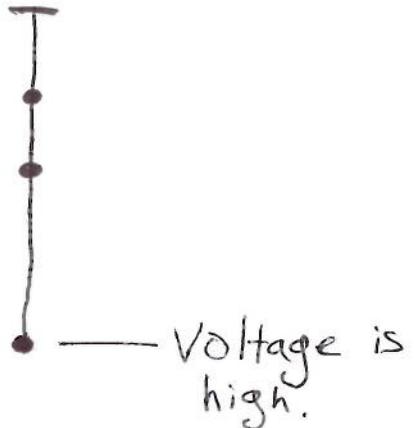


## P-MOS

OFF  
 $IN = 1$

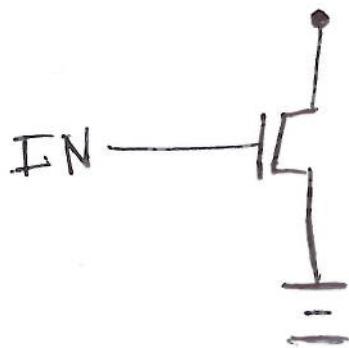


ON  
 $IN = 0$

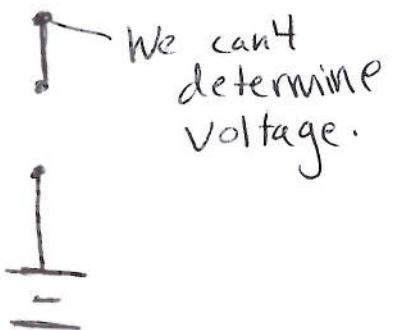


## N-MOS

ON  
 $IN = 1$

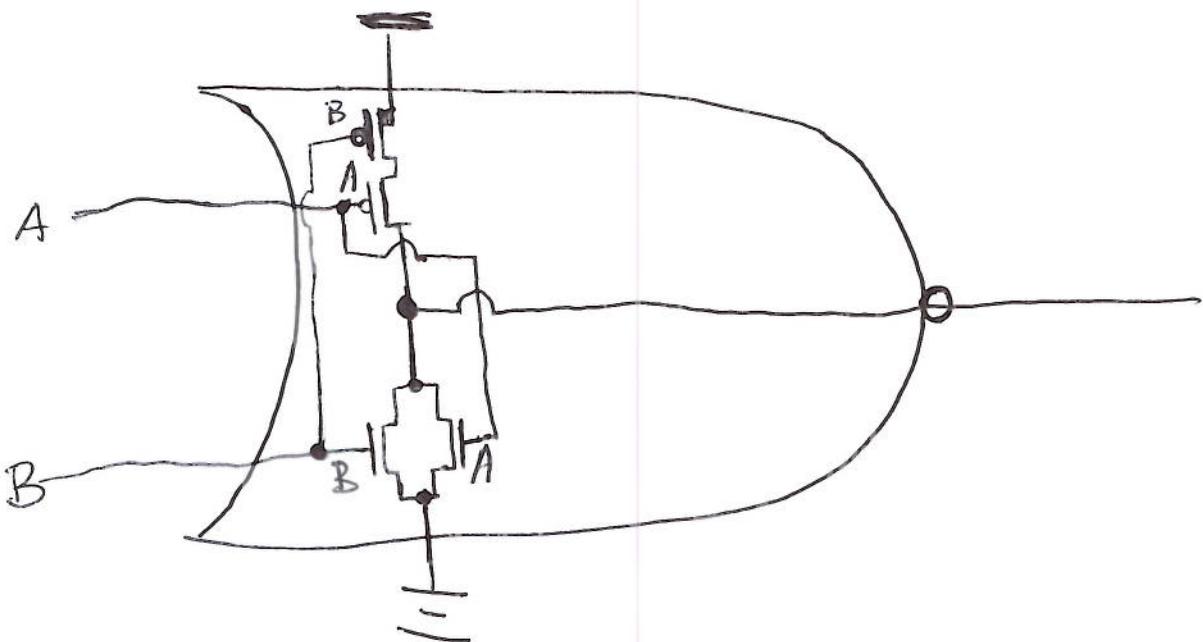
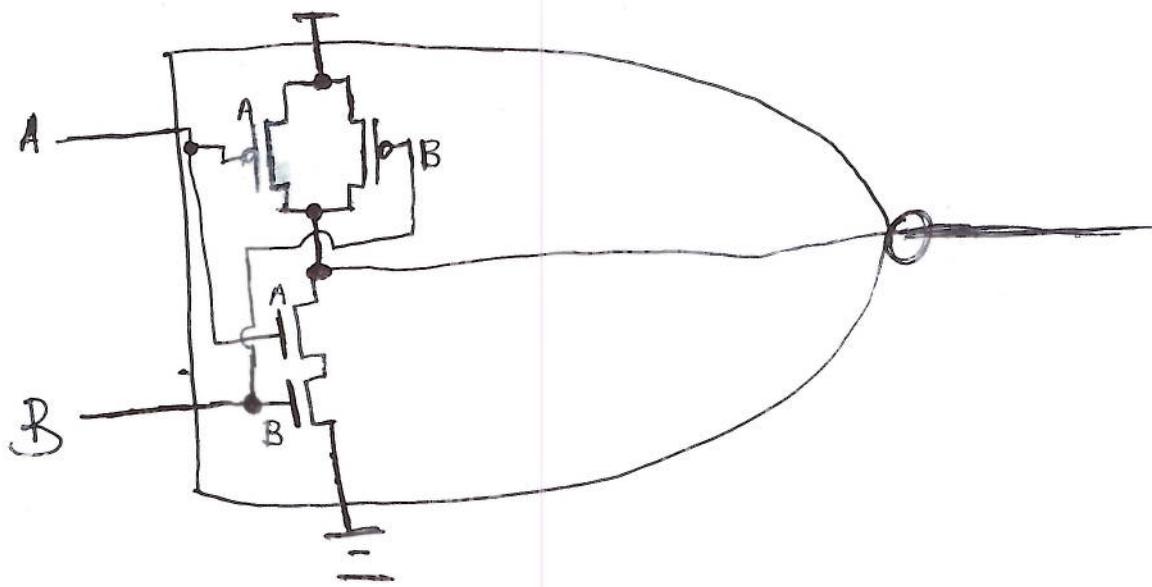
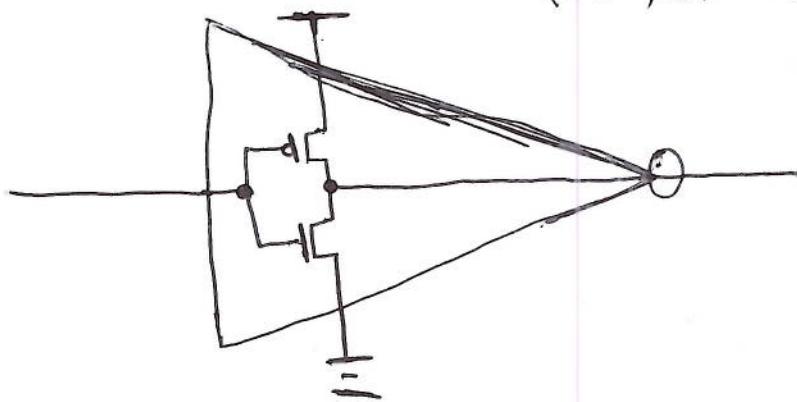


OFF  
 $IN = 0$

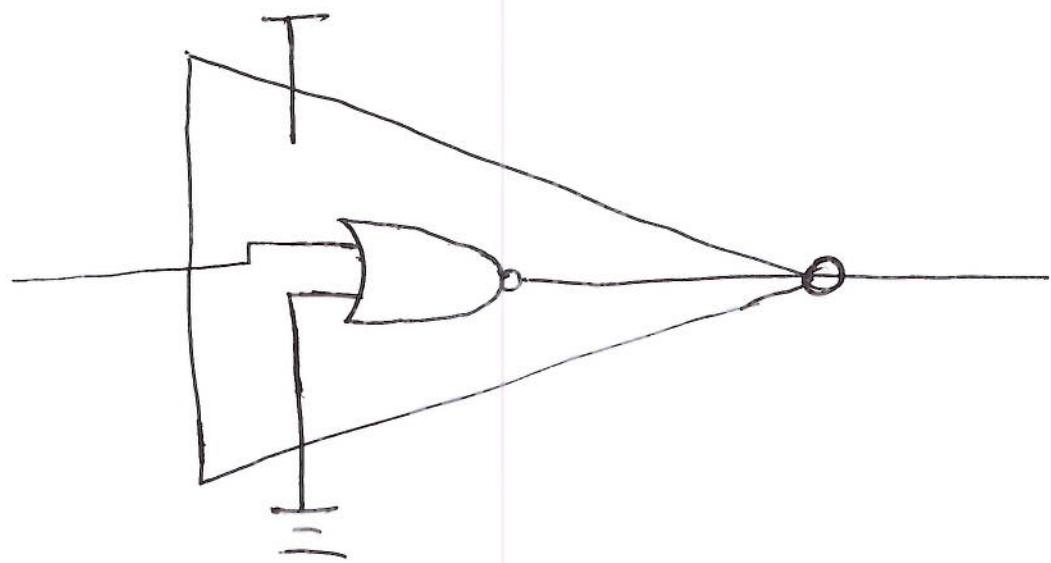
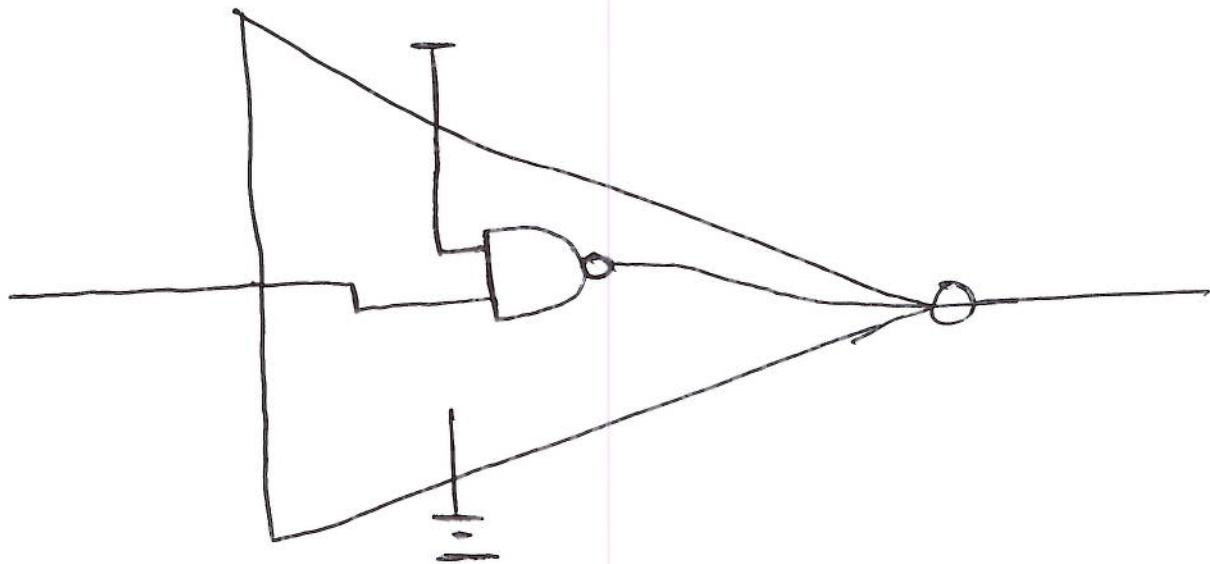


# NATURAL GATES:

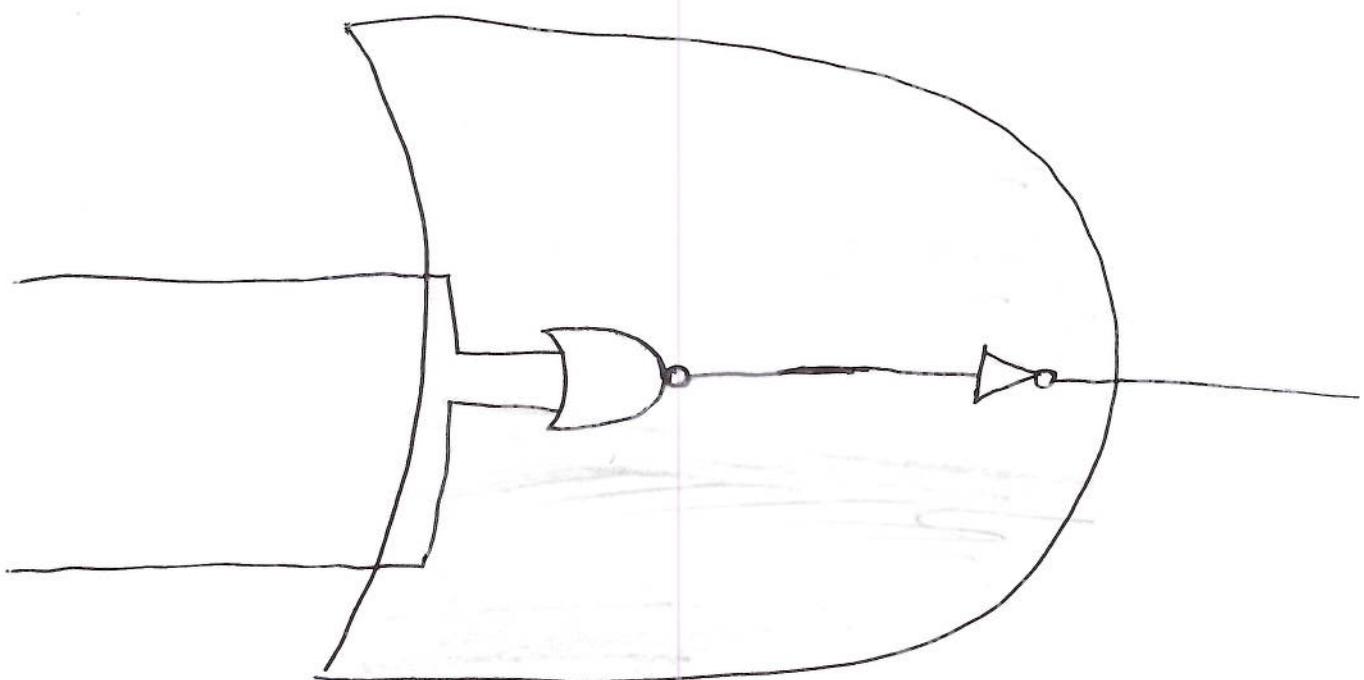
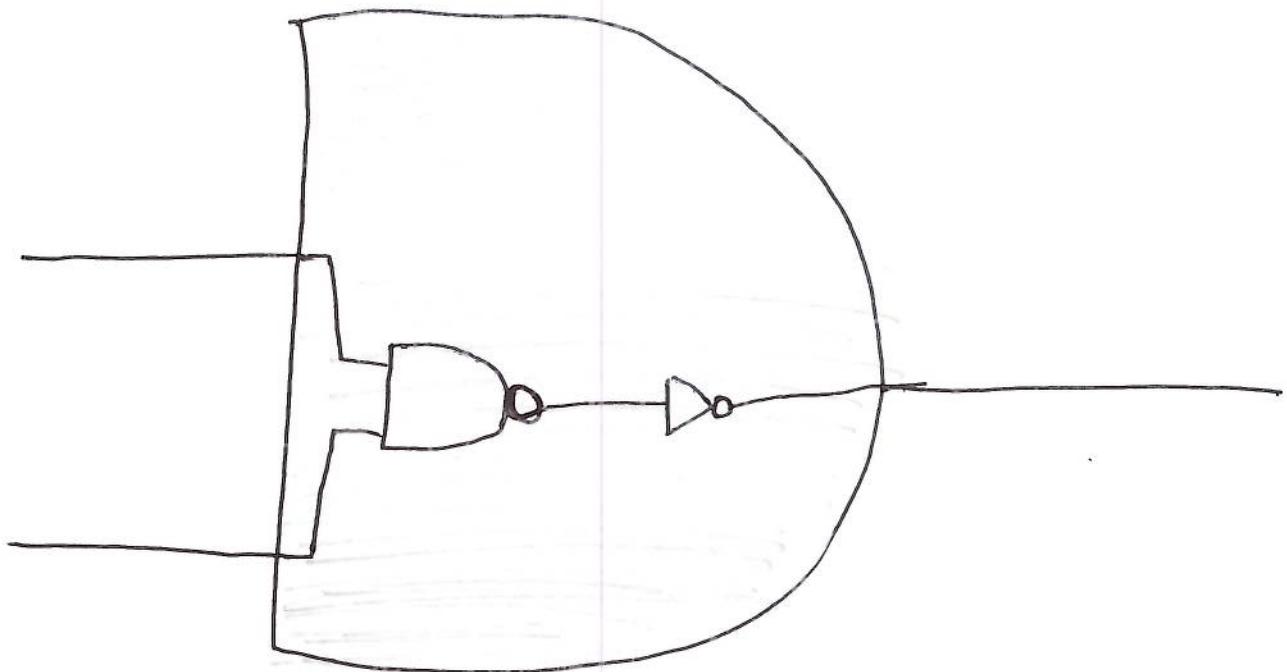
(NOT, NAND, NOR)



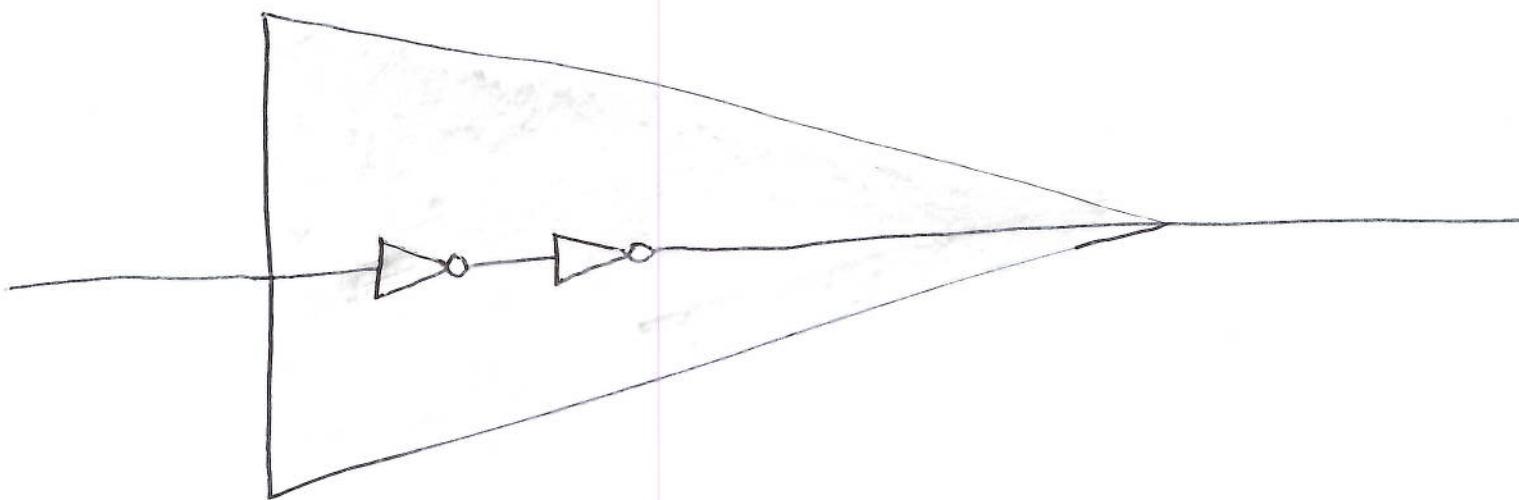
NOT from NAND and NOR



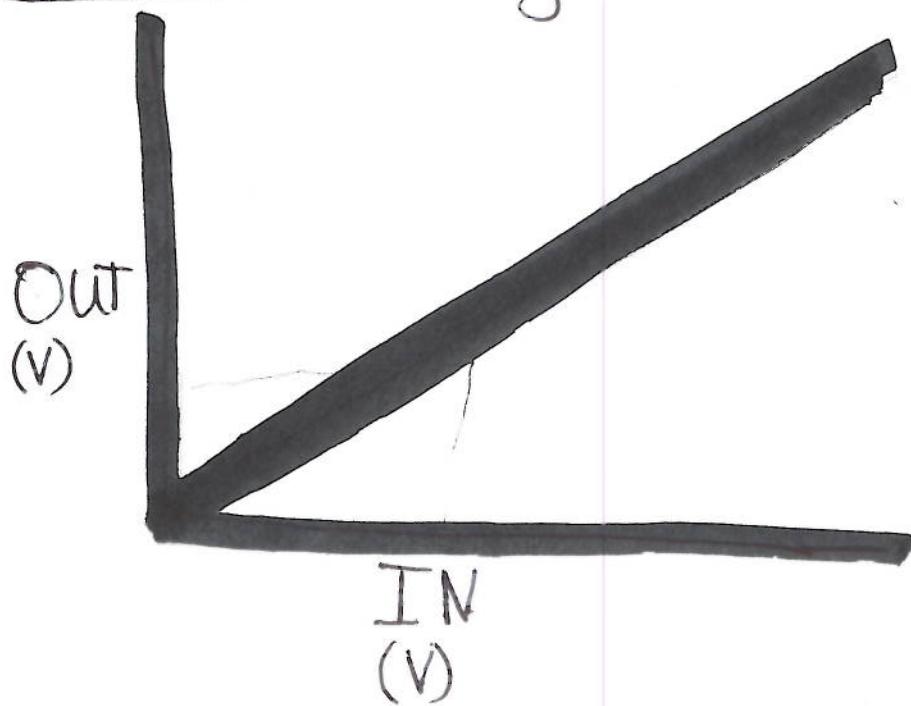
AND and OR are not fundamental.



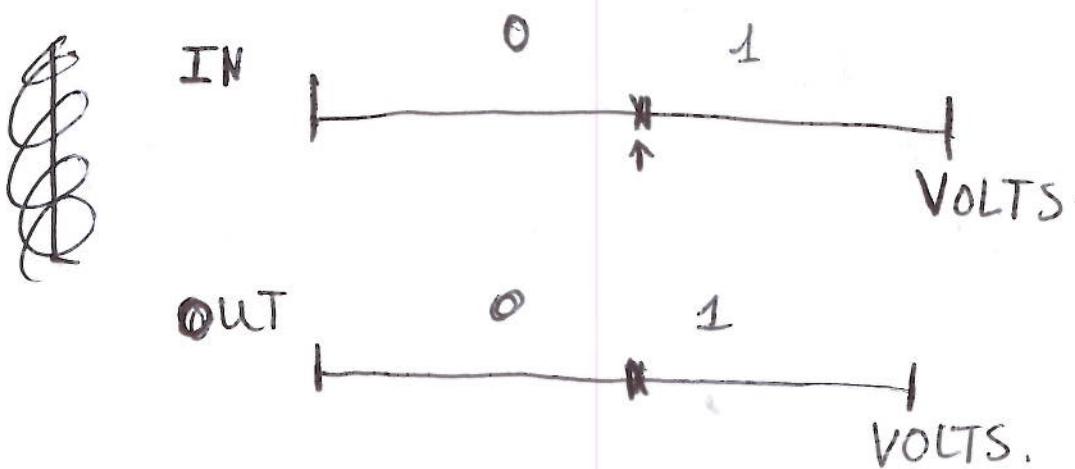
Buffers are not fundamental.

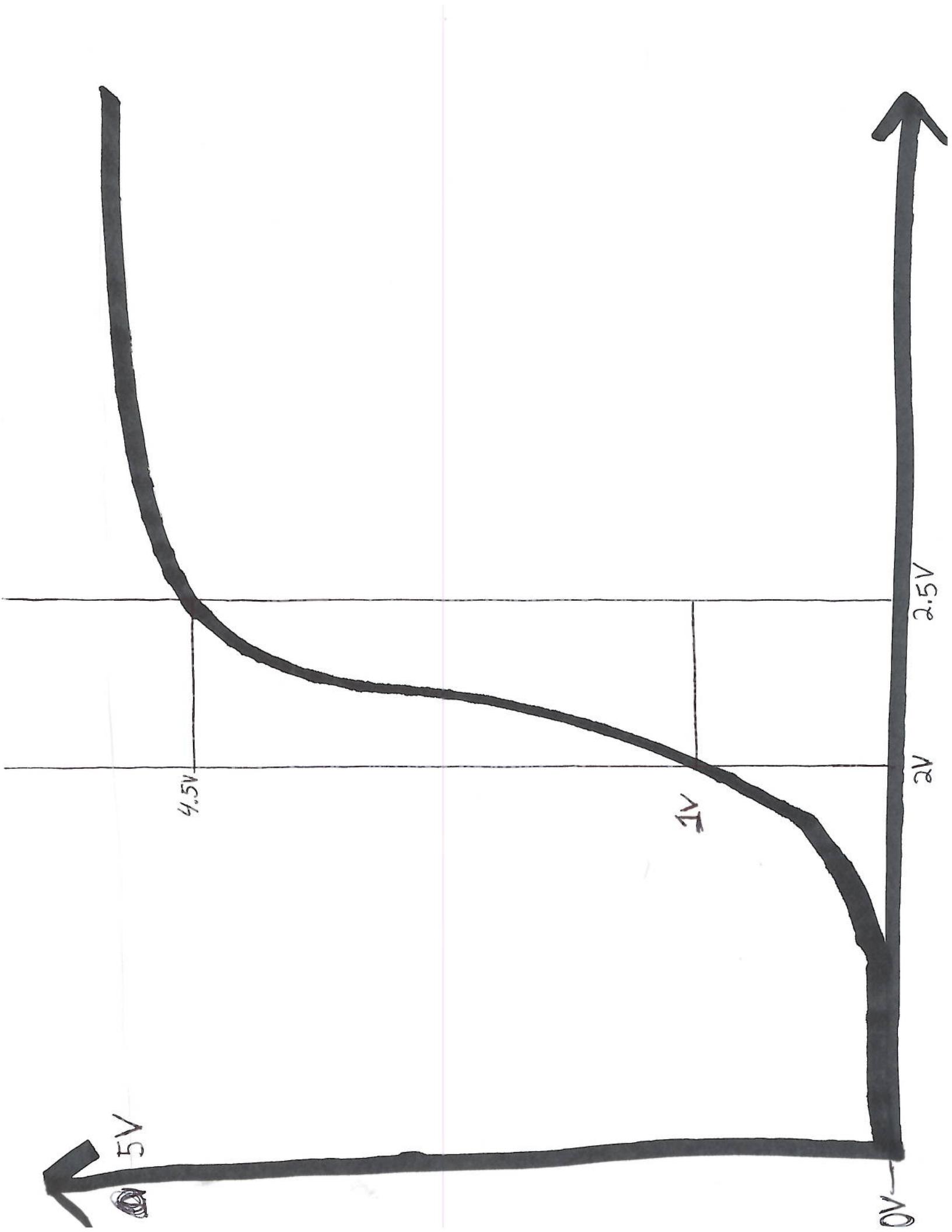


# What makes a good buffer?

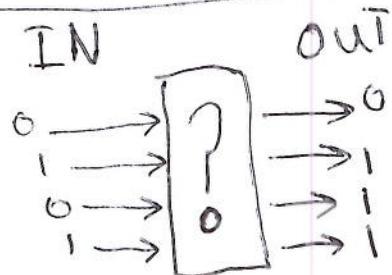


Broad tip pen because this isn't perfect!  
There will be error!





# Combinational devices



- How to use:

- 1) Apply input Voltages on input pins.
- 2) Wait a while.
- 3) Observe output voltages on output pins.

- Properties

- 1) Once you've waited long enough for the 'right' answer, the answer will not change.
- 2) Applying the same inputs (1's are 0's) will give you the same output every time,

THEREFORE:

- The output of a <sup>given</sup> combinational device is a pure function of its inputs.
- There exists a (possibly large) table mapping inputs to outputs! This table defines the combinational device!

# Binary counting

- computers are good at counting and working in BINARY!
- Computers use true and false equivalent to 0 and 1
- How to count in binary?

0  
1  
10  
11  
100  
101  
110  
111  
1000  
1001  
1010  
1011  
1100  
1101  
1110  
1111  
10000  
10001  
10010  
10011  
  
:

- Terminology:  
index 9.      index 0  
↓              ↓  
1001001101  
High bit      low bit.  
index 0

# Binary to decimal

Binary: Base 2

Decimal: Base 10

<u>Binary</u>	<u>Decimal</u>
1	1
10	2
100	4
1000	8
10000	16
100000	32
1000000	64
10000000	128
100000000	256
1000000000	512
10000000000	1024
100000000000	2048

↗ Binary gets  
long faster!

$$\begin{array}{r}
 1001101 \\
 \textcircled{6} 4 \textcircled{3} 2 16 \textcircled{8} \textcircled{4} 2 \textcircled{1} \\
 + \quad 6 \quad 4 \\
 \hline
 \end{array}$$

8

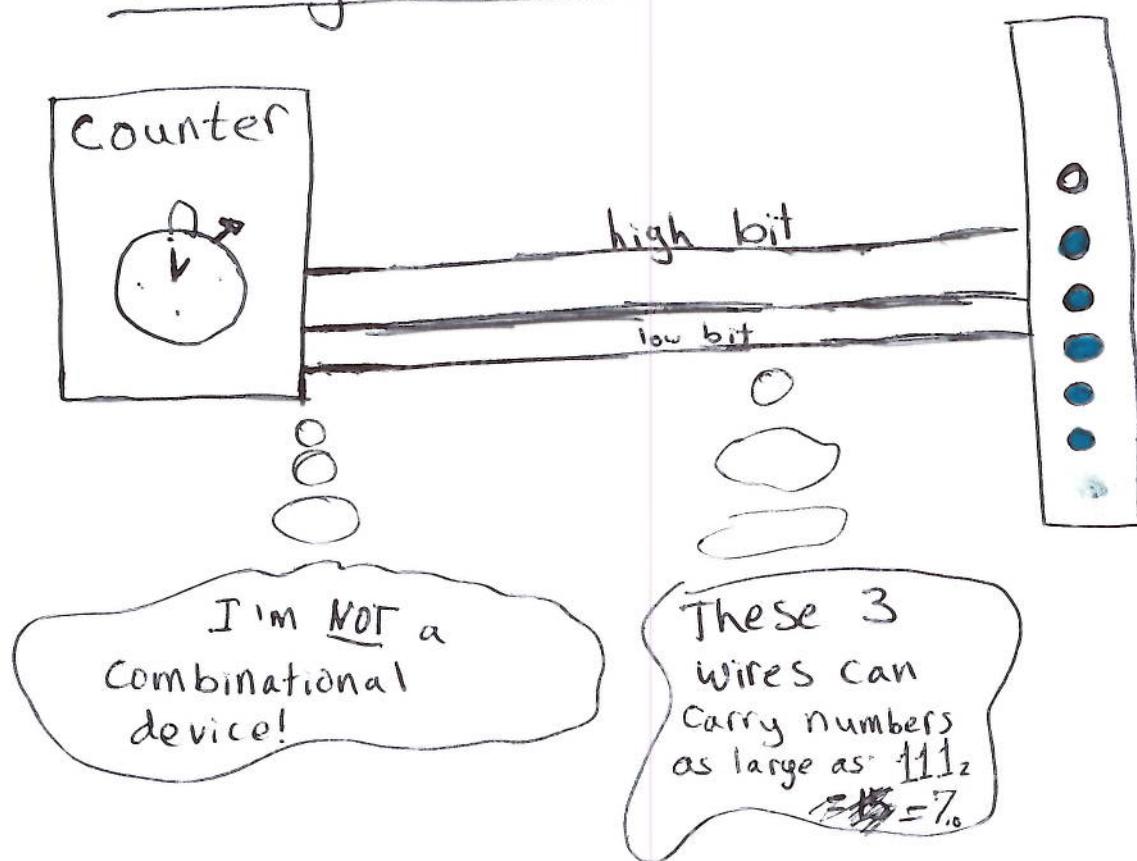
4

1

77

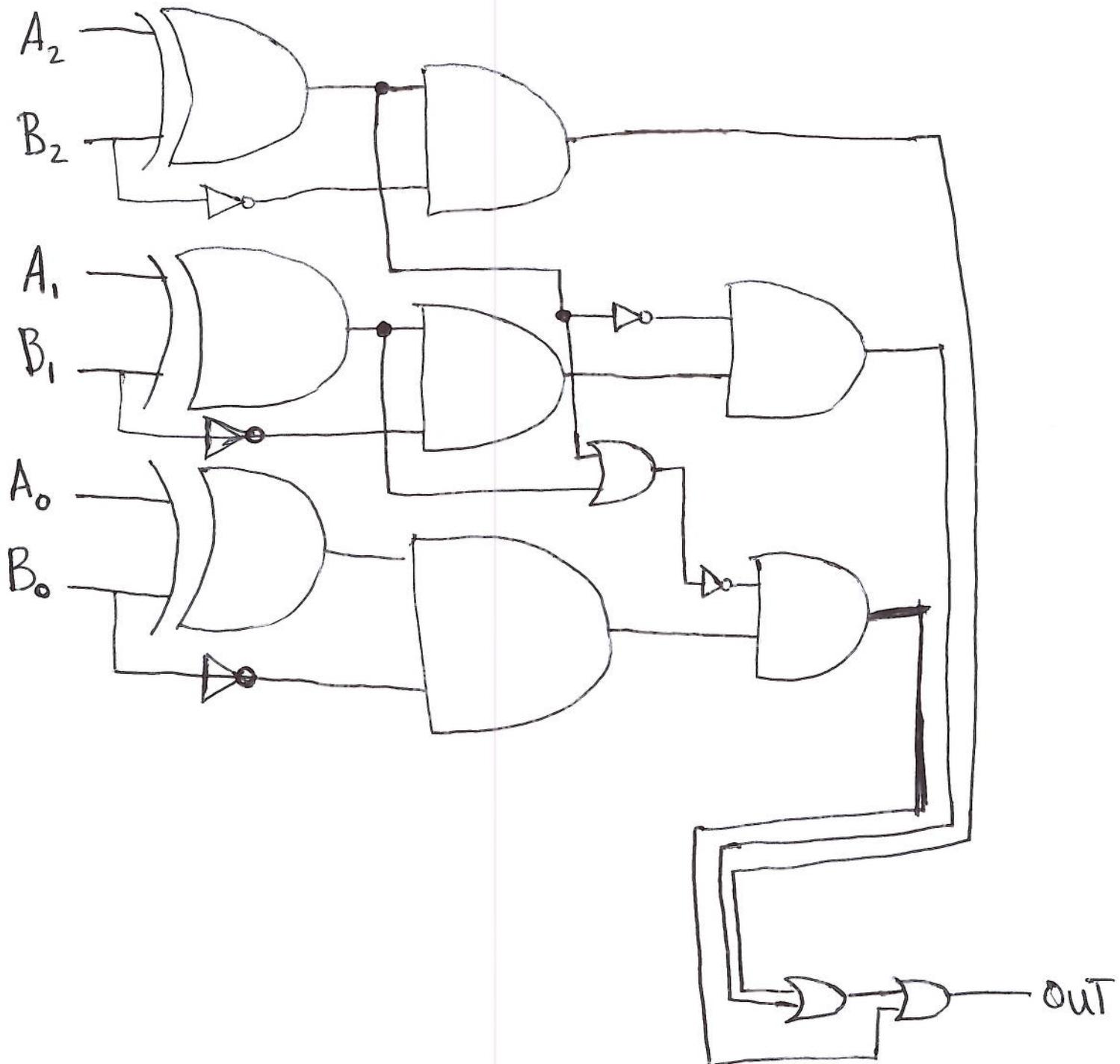
# Challenge

Design a set of simple comparators.



- The counter on the left cycles through the outputs 000 through ~~111~~ 111.
- The device on the right lights up more lights as the counter counts up. When the counter outputs 0, the lights are off.
  - When it outputs 1, 1 light comes on (the bottom one).
  - When it outputs 2, the bottom 2 lights come on
- Your job: build a combinational device that controls each light.

FIRST: What is the rule for the n<sup>th</sup> light being ON?



$\geq$  is enough!

---

$$A \geq B \text{ iff } A \geq B$$

$$A < B \text{ iff } \text{NOT}(A \geq B)$$

$$A = B \text{ iff } (A \geq B \text{ AND } B \geq A)$$

$$A \leq B \text{ iff } (A < B \text{ OR } A = B)$$

$$A > B \text{ iff } \text{NOT}(A \leq B)$$